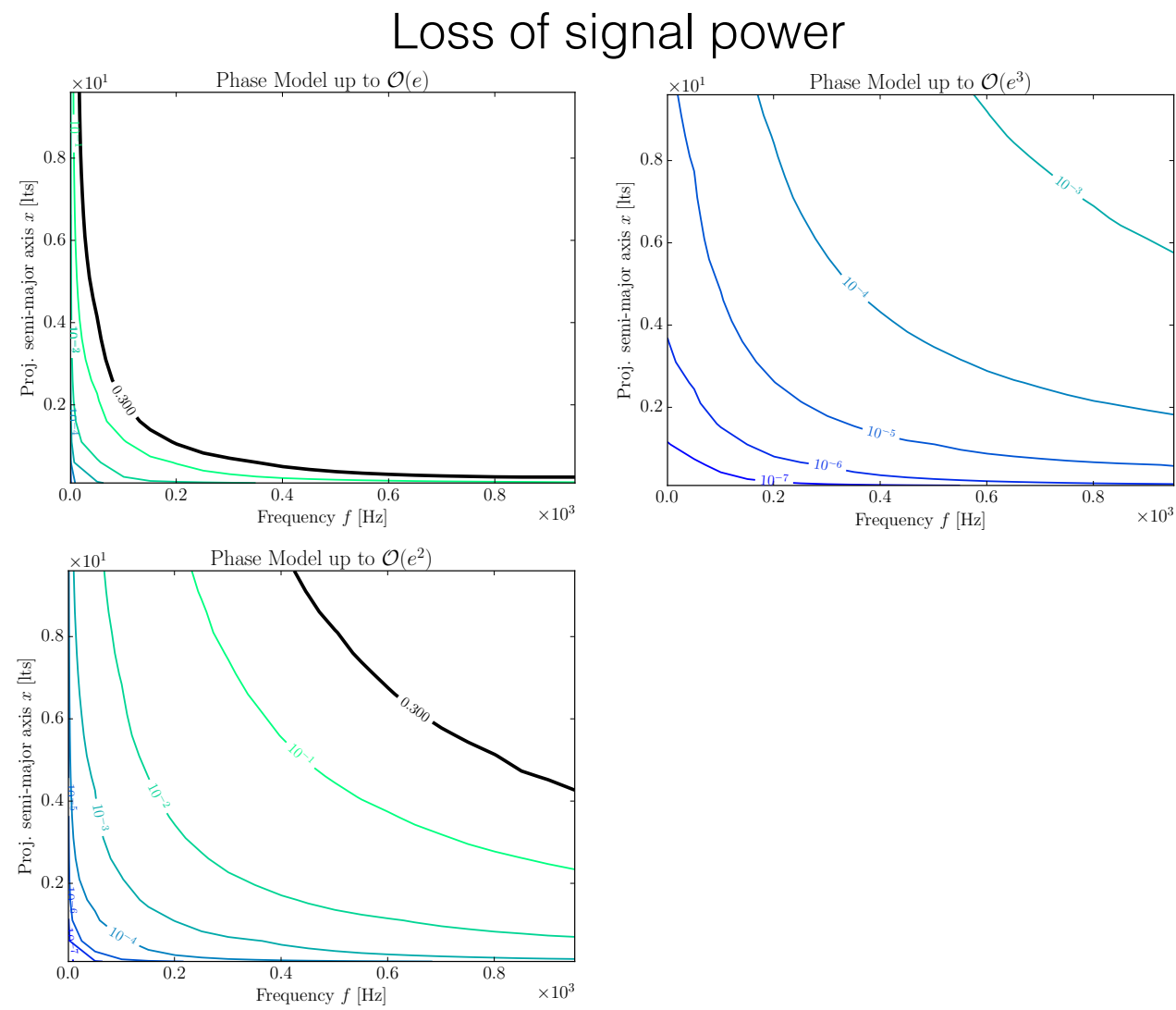


- Problem: Binary MSPs are sometimes undetectable in radio due to eclipses or the radio beam not pointing towards Earth. But blind searches for their gamma-ray pulsations have been infeasible until recently.
- Solution:
 - New methods (Slide 2):
 - Efficient multistage search, optimised search grids using parameter space metric, orbital constraints from optical counterpart
 - Search design (Slide 3):
 - Very sensitive for fixed amount of computing resources
 - Use of ATLAS Cluster in Hannover and *Einstein@Home*
- Applications (Slide 4):
 - Blind searches exploiting orbital constraints
 - Targeted searches (for recently detected radio pulsars)
 - Long-term timing (of eclipsing binary pulsars)

- Semicoherent first stage
- Coherent follow-up
- Final stage with H-test

Credits: Pletsch, H. J., & Clark, C. J. 2014, ApJ, 795, 75



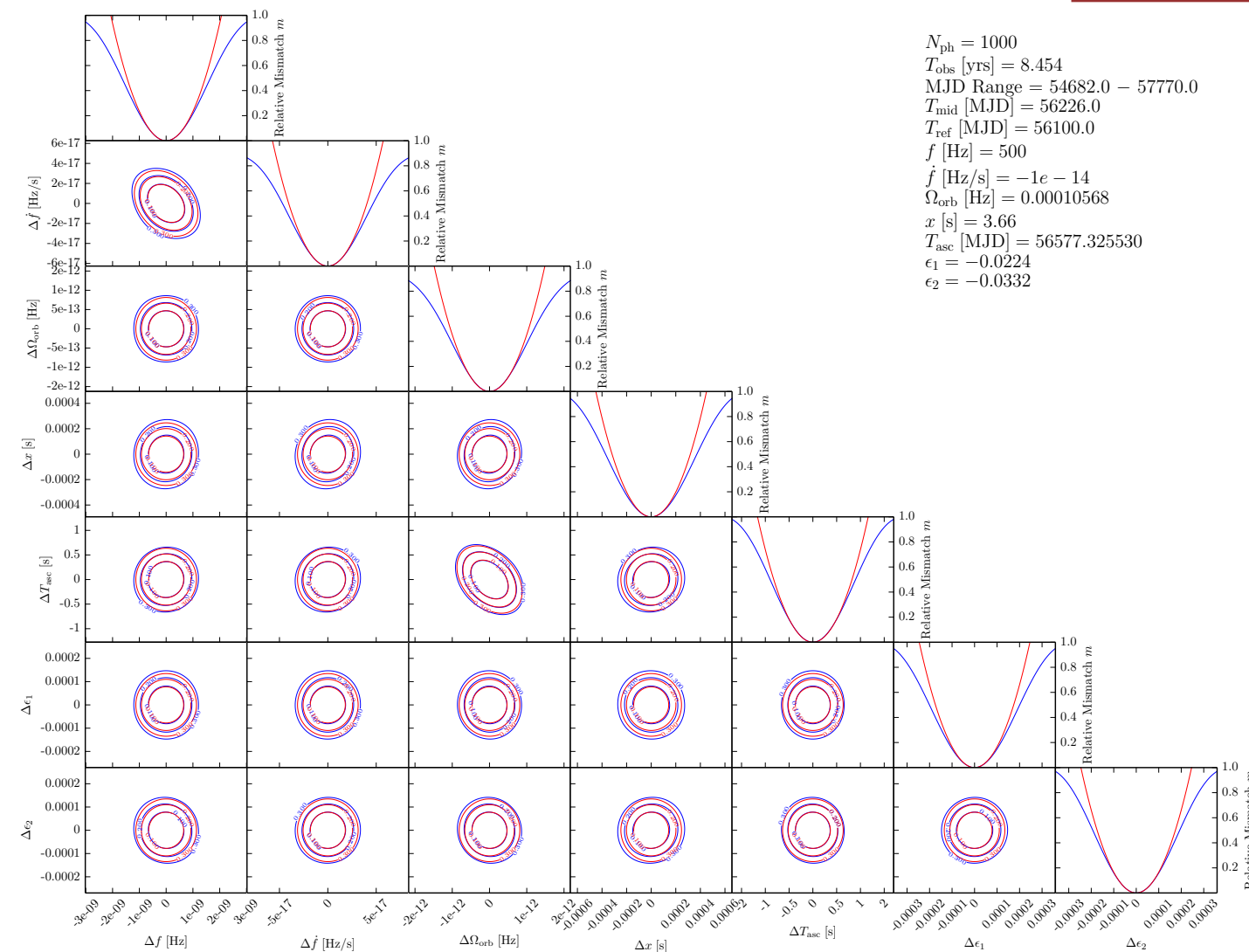
Phase Model

Multistage Scheme

Credits: Nieder, L., Pletsch, H. J., Clark, C. J. in prep

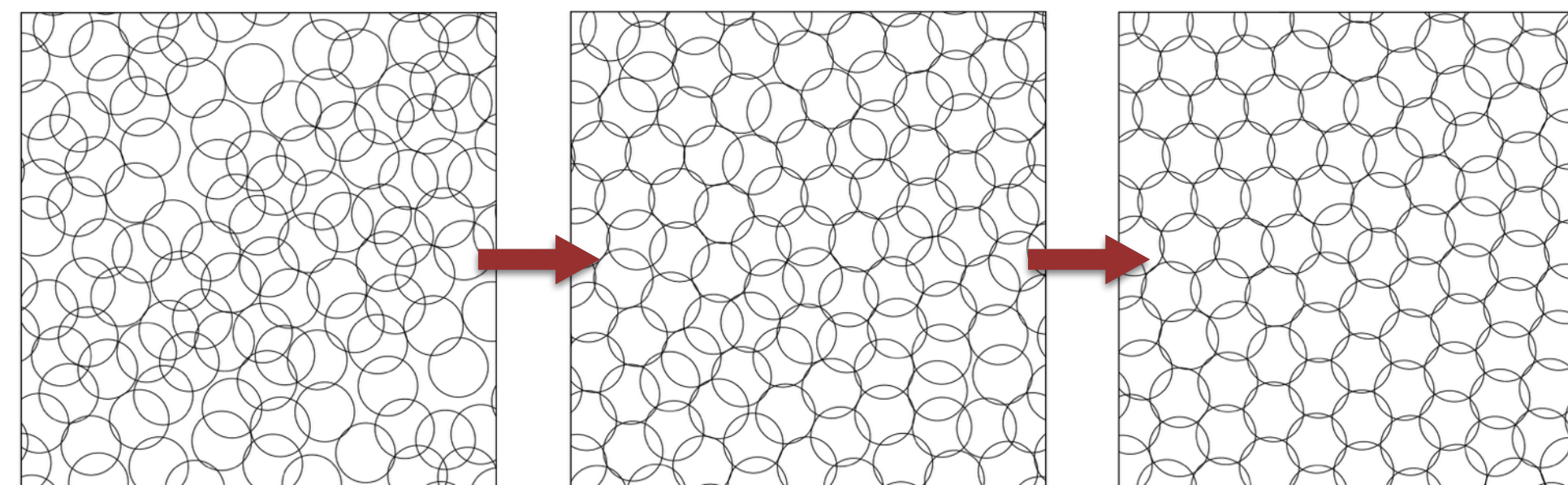
Distance Metric

Orbital Constraints

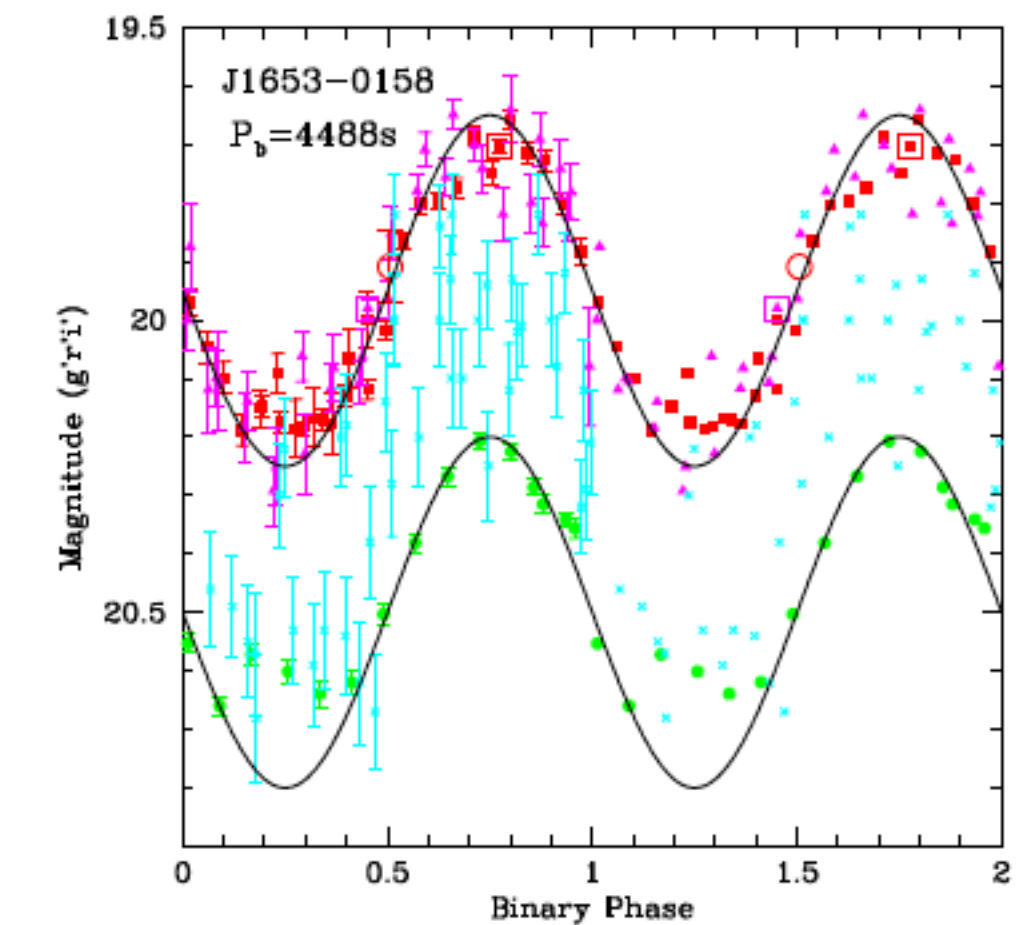


Credits: Nieder, L., Pletsch, H. J., Clark, C. J. in prep

Stochastic Grid



Credits: Fehrmann, H., & Pletsch, H. J. 2014, PhRvD, 90, 124049



Credits: Romani, R. W., Filippenko, A. V., & Cenko, S. B. 2014, ApJL, 793, L20

Mismatch: fractional loss in signal-to-noise ratio due to offsets from pulsar parameters or approximated phase model

Metric: analytical approximation to the expected mismatch as function of the distance to the nearest grid point

Orbital constraints: from optical observations of companion and crucial to reduce the relevant parameter space

Search design: optimized sensitivity (minimized average mismatch and long coherence time) for limited computing resources

Einstein@Home: an distributed volunteer computing system used in searches for pulsars and for continuous gravitational waves

Number of grid points:

$$N \propto m_{\max}^{-7/2} \int_{\Lambda} \sqrt{\det g(\vec{\lambda})} d\vec{\lambda}$$

$$\vec{\lambda} = \left\{ f, \dot{f}, \Omega_{\text{orb}}, x, T_{\text{asc}}, \eta, \kappa \right\} \quad \text{and} \quad \sqrt{\det g(\vec{\lambda})} = T_{\text{obs}}^2 T_{\text{coh}}^2 f^5 \Omega_{\text{orb}} x^4$$

Search parameters:

- Observation time $\equiv T_{\text{obs}}$
- Coherence time $\equiv T_{\text{coh}}$
- Maximum mismatch in grid $\equiv m_{\max}$

Pulsar parameters:

- Spin frequency $\equiv f$
- Spin-down rate $\equiv \dot{f}$

Orbital parameters:

- Orbital frequency $\equiv \Omega_{\text{orb}}$
- Projected semi-major axis $\equiv x$
- Epoch of ascending node $\equiv T_{\text{asc}}$
- Eccentricity of orbit $\equiv e$
- Longitude of periastron $\equiv \omega$
- $\epsilon_1 = e \sin \omega$
- $\epsilon_2 = e \cos \omega$

Recovered signal-to-noise ratio:

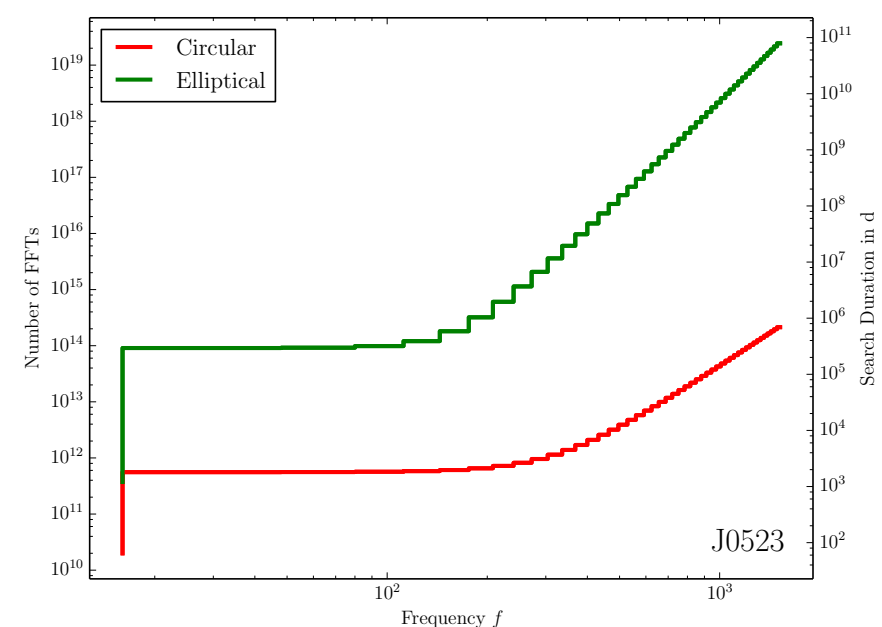
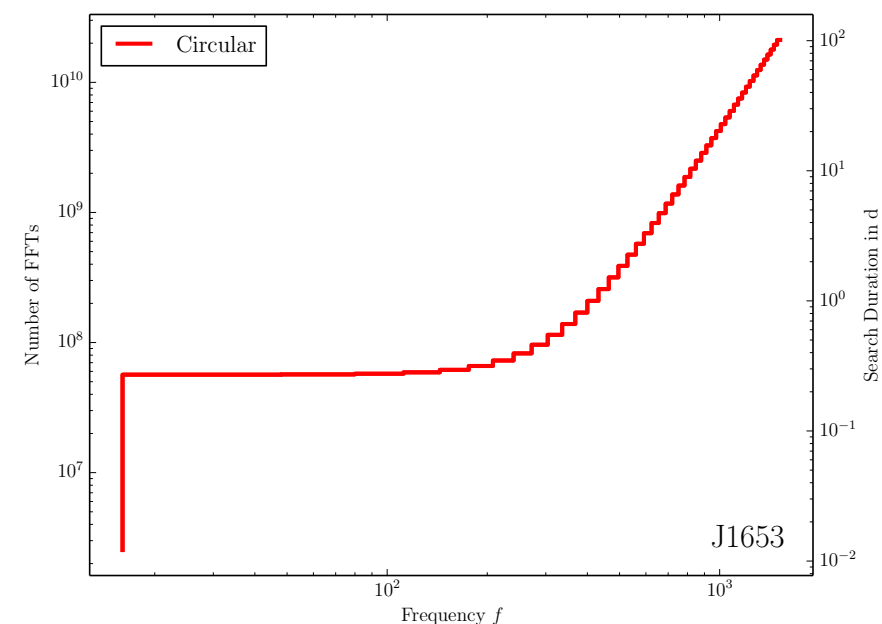
$$S/N \propto (1 - m) \sqrt{T_{\text{coh}} T_{\text{obs}}}$$

Blind Searches:

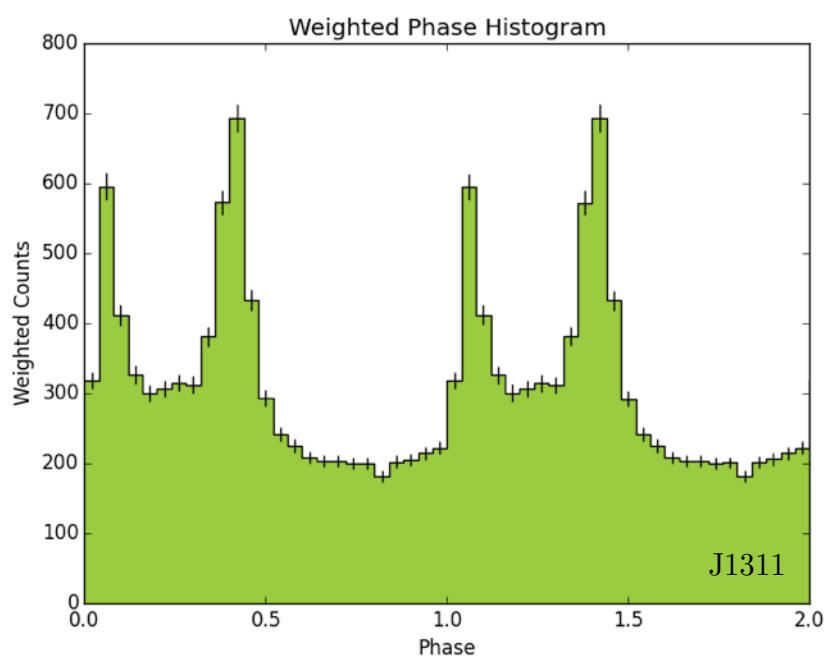
Targeted Searches:

Long-term Timing:

Candidates: Computing cost for search on Einstein@Home

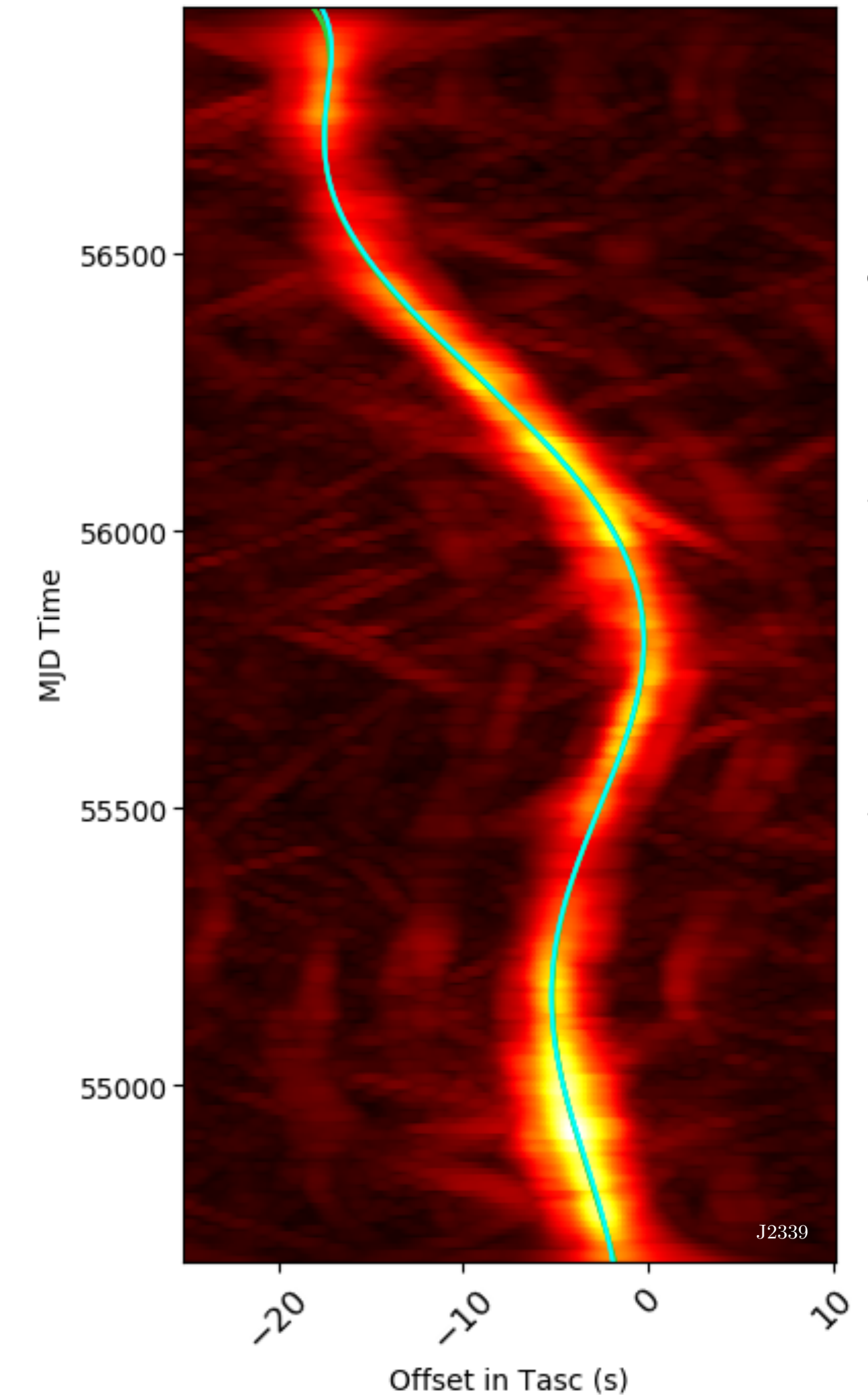


Detection of Black Widow



- Precise timing solutions require frequent observations of a radio pulsar over several years
- The measurement uncertainty of some pulsar parameters (e.g. spin frequency, orbital period) is inversely related to the total observation time
- In the case of detected gamma-ray pulsations *Fermi* LAT's on-going all-sky survey allows us to extend the solution of a radio detection over 9 years of gamma-ray data
- The distance metric can assist here with the building of an efficient search grid while the phase model can be used even for eccentric pulsars

Timing of Redback pulsars with orbital period variations



Credits: Pletsch, H. J., Guillemot, L., Fehrmann, H., et al. 2012, Science, 338, 1314

Credits: Pletsch, H. J., & Clark, C. J. 2015, ApJ, 807, 18